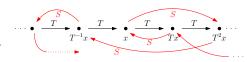# Corentin Correia
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Main interest: **Orbit equivalence**

(X, μ) standard probability space.

$T, S \colon X \to X$ μ-preserving bijections
satisfying $\{T^n x \mid n \in \mathbb{Z}\} = \{S^n x \mid n \in \mathbb{Z}\}$

Quantitative orbit equivalence: adding restrictions on the distortions
$\rightsquigarrow$ notion of φ-integrable orbit equivalence
(the faster $\varphi \colon \mathbb{R}_+ \to \mathbb{R}_+$ goes to $+\infty$, the stronger is the restriction)

Theorem (Kerr, Li 2023)

log-*integrable orbit equivalence preserves entropy.*

Theorem (C. 2025+)

For every $\alpha < 1$, $\log^\alpha$-*integrable orbit equivalence does not preserve entropy.*

The counter-examples: Odometer S $\rightsquigarrow$ ☢ Odomutant T ☢